CS325 Artificial Intelligence Computer Vision II – 3D Vision (Ch. 24)

Dr. Cengiz Günay, Emory Univ.

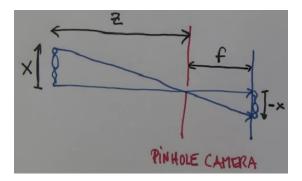


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Limits of 2D Projection



- 3D world is projected onto 2D image
- What happens to depth information?





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• Giant panda, or just close?



- Giant panda, or just close?
- Can only tell if we know exactly the size.

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Use your two eyes: Stereo Vision

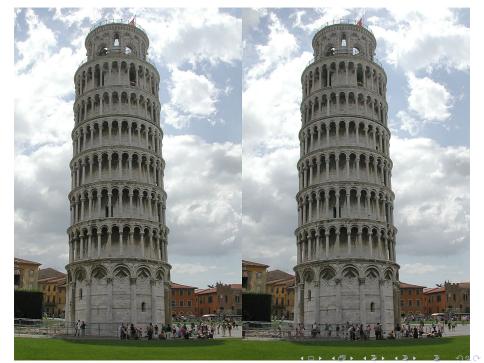


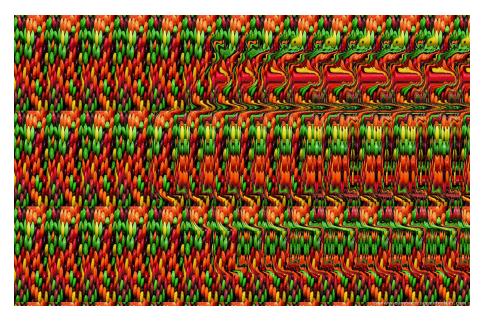
Exit survey: Computer Vision I - Object Recognition

- List some problematic states of objects for which an object recognition algorithm must be invariant for.
- What kind of a filter mask would you convolve with an image to detect *diagonal* lines?

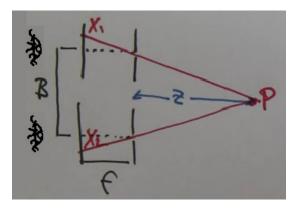
Entry survey: Computer Vision II - 3D Vision (0.25 points)

- What tasks would you find difficult if you had only one eye open?
- How do you think stereograms are made?



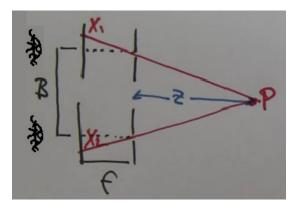


Stereo Vision



- P: Target object.
- Z: Distance to object.
- *B*: Baseline; separation between eyes.
- x_1, x_2 : Disparity or parallax; different offsets at each eye.

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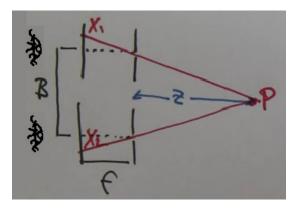
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Can we always find depth of P?

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Stereo Vision



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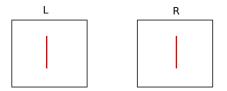
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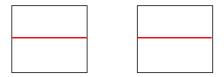
Can we always find depth of P? No, only sometimes.

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Stereo Vision: Which One is Easier?





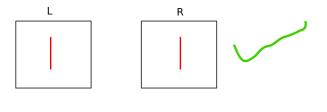
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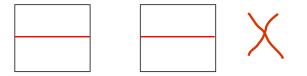
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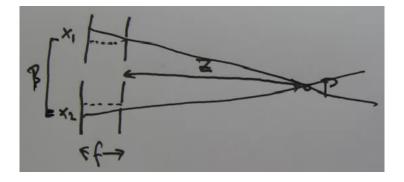
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Stereo Vision: Which One is Easier?



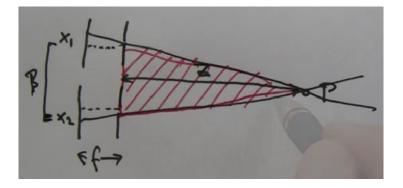


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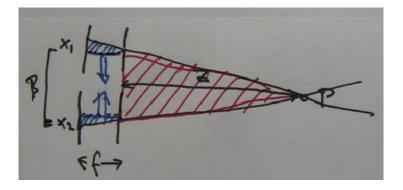
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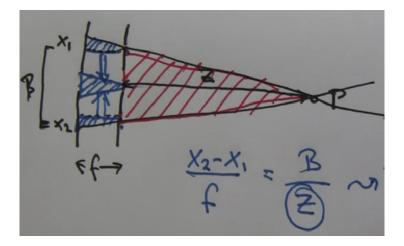
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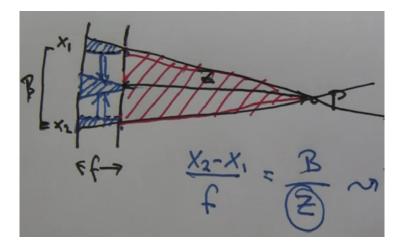




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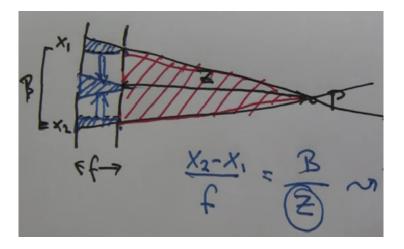
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What's different here? What don't we need to find depth?

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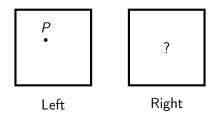
What's different here? What don't we need to find depth? Original size.

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Finding Correspondence Between Left and Right Images



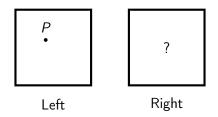
Where do we search on the right image?

- 2D: everywhere
- ID: on a line
- OD: we know the point

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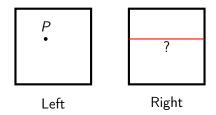
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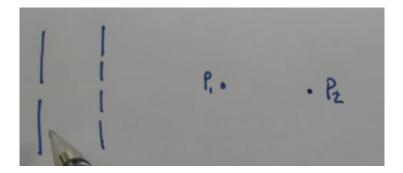
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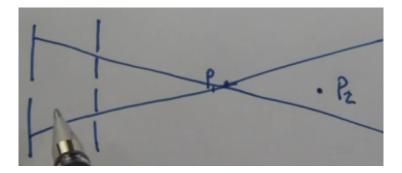
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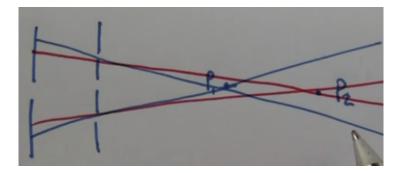
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Image: A math a math

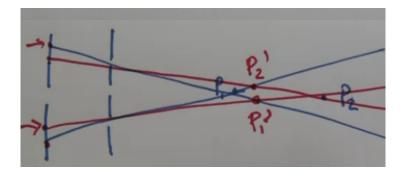
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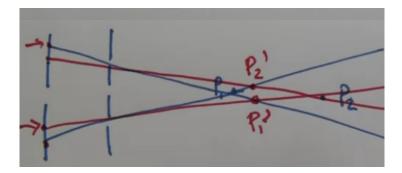


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You get Phantom Points if you get the correspondence wrong.



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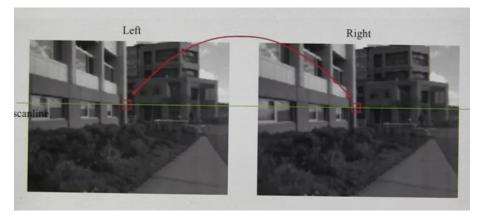


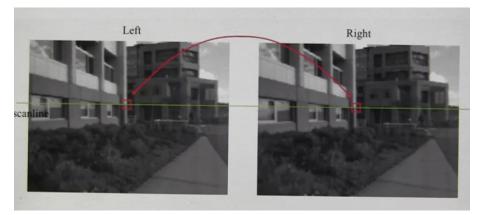
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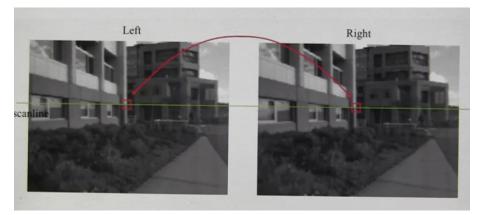
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Can we find correspondence with any of:

- Texture match?
- Peature match?



Can we find correspondence with any of:

- I Texture match?
- Peature match?

Both, actually.

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Texture Match with SSD

SSD is not solid state drive, but it is sum of squared distance



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SSD minimization

$$I \rightarrow hornelisk$$

 $R \rightarrow ()^2 \rightarrow Z = Value pixels$

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Sum of Squared Distance (SSD)

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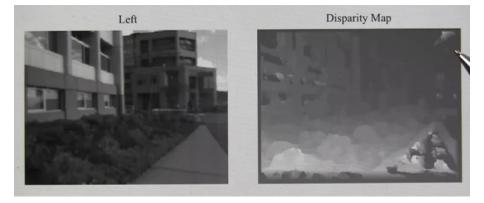
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Image: A matrix of the second seco

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The Result: Disparity Maps

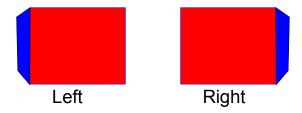


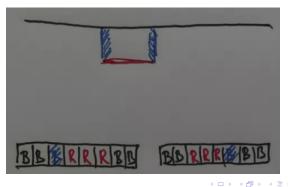
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How About Occlusions?

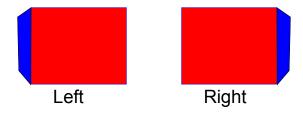




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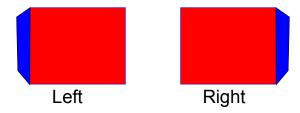


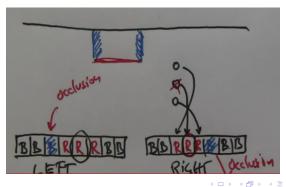
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How About Occlusions?





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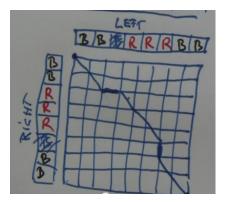
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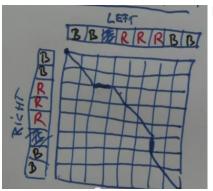
Use dynamic programming:

• calculate correspondence matrix with $O(n^2)$:



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Does this look familiar?

Use dynamic programming:

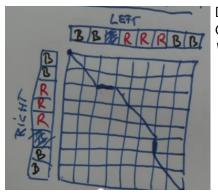
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Does this look familiar? Can we use MDP?

Use dynamic programming:

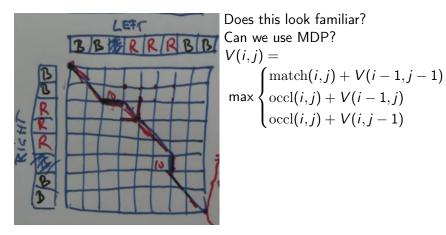
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Does this look familiar? Can we use MDP? V(i,j) = $\max \begin{cases} \operatorname{match}(i,j) + V(i-1,j-1) \\ \operatorname{occl}(i,j) + V(i-1,j) \\ \operatorname{occl}(i,j) + V(i,j-1) \end{cases}$

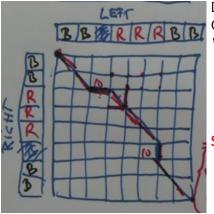
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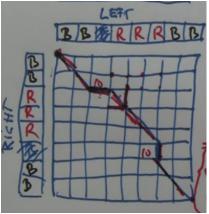


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State-of-the-art in computer vision!

Use dynamic programming:

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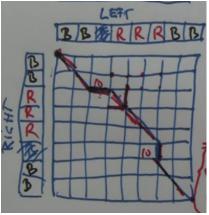


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State-of-the-art in computer vision! How would the brain do it?

Use dynamic programming:

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State-of-the-art in computer vision! How would the brain do it?

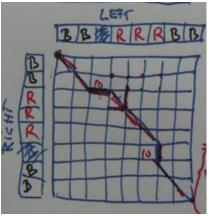
 In parallel, each node in matrix a separate neuron

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• How fast?

Use dynamic programming:

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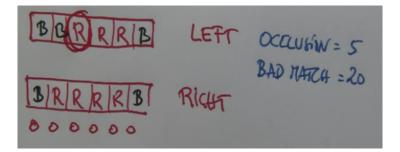


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State-of-the-art in computer vision! How would the brain do it?

- In parallel, each node in matrix a separate neuron
- How fast? O(1)

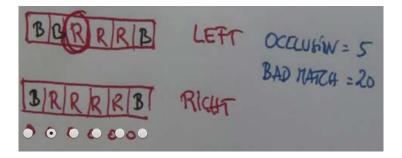
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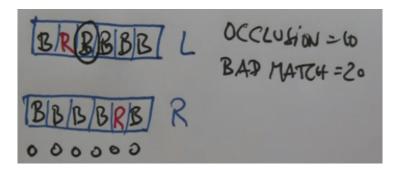
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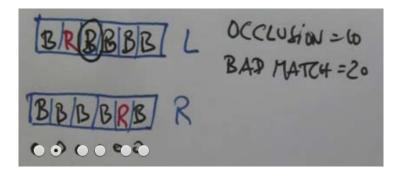
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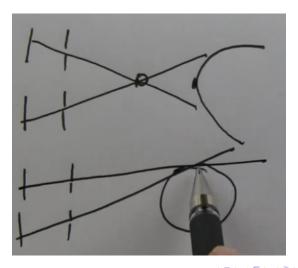
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Problem Cases for Alignment

Problems with: Foreground-background separation and circular edges.



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Problem Cases for Alignment

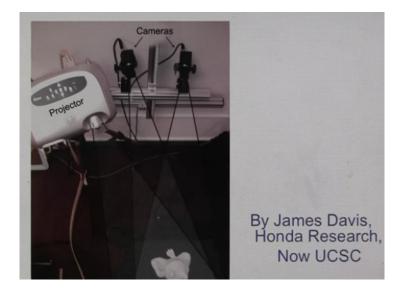
Problems with: Reflection.



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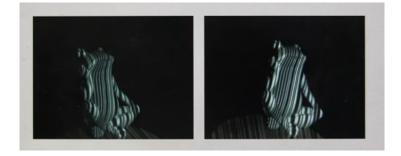
New Technologies



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Image: A matrix and a matrix